

Cost-sensitive Learning for Utility Optimization in Online Advertising Auctions

Flavian Vasile (Criteo)

Damien Lefortier (Facebook)

Olivier Chapelle (Google)

Agenda

- **Context**
- Online & Offline Metrics
- Utility Optimization
- Online & Offline Results

Context (1)

- Online Advertising Auctions for Display Advertising; 4 types of players:
 - The auction house: RTB platform,
 - Demand: the advertiser,
 - Supply: the publisher,
 - Bidder: Criteo.

Context (2)

- Most people optimize for deep-funnel events and use a **conversion rate (CR)** prediction model. We focus on this aspect here.

$$y \times v - c \quad \text{if } p \times v > c$$
$$0 \quad \text{otherwise}$$

Agenda

- Context
- **Online & Offline Metrics**
- Utility Optimization
- Online & Offline Results

Online Metrics

- Conversions are different (e.g., sock vs. car) so we need to weight them by (some flavor of) $CPA = \text{Cost} / \#\text{Conversions}$.

Offline Metrics

$$\begin{array}{ll} y \times v - c & \text{if } p \times v > c \\ 0 & \text{otherwise} \end{array}$$

$$\mathbf{MSEW} = \frac{1}{N} \sum_i ((y_i - p(\mathbf{x}_i)) \cdot v_i)^2$$

$$\mathbf{Utility} = \sum_i \int_0^{p(\mathbf{x}_i)v_i} (y_i \cdot v_i - \tilde{c}) \Pr(\tilde{c} | c_i) d\tilde{c}$$

Agenda

- Context
- Online & Offline Metrics
- **Utility Optimization**
- Online & Offline Results

Utility Loss

- Defined as the opposite of the Utility:

$$\ell_{\sigma}(p, y, v, c) := \int_0^{pv} (\tilde{c} - yv) \Pr(\tilde{c} | c, \sigma) d\tilde{c}.$$

- Non-convex; very hard.

Utility Loss and Log Loss (NLL)

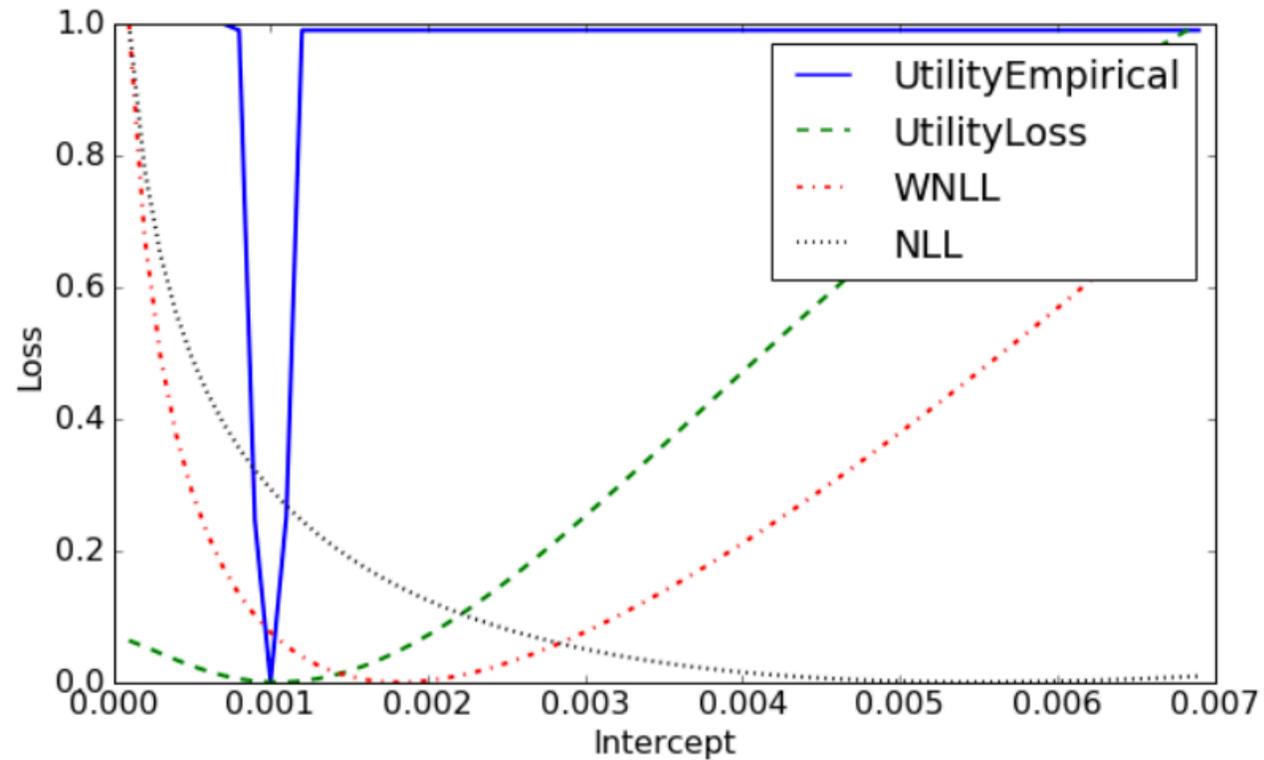
- We analyze the Utility loss when c is close to our bid p .
- We assume conversion probabilities are small ($p \ll 1$).

	$y = 0$	$y = 1$
Log loss	$\frac{1}{1-p} \approx 1$	$-\frac{1}{p}$
Utility loss	v	$\frac{v(p-1)}{p} \approx -\frac{v}{p}$

=> The derivatives are approximately equal, up to a factor v

Toy Example

- Two advertisers with different CPAs (5 and 50) and CR (1% and 0.1%).



Method

- We propose to optimize for WNLL to improve our bidder's performance.
- We use L-BFGS for learning.

Impact on Regularization

- We propose the following heuristic to take weights into account:

$$\lambda_{WNLL} = \lambda_{NLL} \times \frac{\sum_i v_i}{N}$$

Agenda

- Context
- Online & Offline Metrics
- Utility Optimization
- **Online & Offline Results**

Offline Setup

- We use a public Criteo dataset for our experiments.

Offline Results – Weights

Weighting	ΔMSEW (negative is better)		$\Delta\text{Utility}_{\beta=10}$ (positive is better)		$\Delta\text{Utility}_{\beta=1000}$ (positive is better)	
	Train	Test	Train	Test	Train	Test
CPA	$-50.45\% \pm 0.91$	$-19.57\% \pm 0.65$	$1.44\% \pm 0.02$	$0.37\% \pm 0.04$	$1.29\% \pm 0.03$	$0.18\% \pm 0.08$
$CPA^{\frac{1}{2}}$	$-36.84\% \pm 0.67$	$-14.57\% \pm 0.49$	$0.91\% \pm 0.01$	$0.32\% \pm 0.02$	$0.89\% \pm 0.03$	$0.30\% \pm 0.04$
$CPA^{\frac{1}{4}}$	$-24.54\% \pm 0.46$	$-9.26\% \pm 0.3$	$0.51\% \pm 0.01$	$0.18\% \pm 0.01$	$0.51\% \pm 0.02$	$0.19\% \pm 0.03$

Offline Results – Lambda

Λ	$\Delta\text{Utility}_{\beta=1000}$
$\lambda_h - 40\%$	$0.34\% \pm 0.09$
$\lambda_h - 20\%$	$0.32\% \pm 0.05$
$\lambda_h - 10\%$	$0.29\% \pm 0.05$
λ_h	$0.30\% \pm 0.04$
$\lambda_h + 10\%$	$0.33\% \pm 0.03$
$\lambda_h + 20\%$	$0.21\% \pm 0.03$

Offline Results – High/low CPA

Metric	Global	HighCPA(>10)	HighCPA(>10), LowSales(<30)
ΔMSEW	-14.57% \pm 0.49	-15.26% \pm 0.53	-22.36% \pm 1.02
$\Delta\text{Utility}_{\beta=10}$	0.32% \pm 0.02	0.78% \pm 0.06	1.70% \pm 0.16
$\Delta\text{Utility}_{\beta=1000}$	0.30% \pm 0.04	0.78% \pm 0.11	1.72% \pm 0.21

Online Results

- The A/B test was done on more than 1 Billion ad displays, on world-wide traffic. Our change resulted in a +2% lift in ROI.
- We observed significant savings in display cost + an increase in sales performance for the advertisers, especially on the campaigns with high CPA and low number of sales.

Conclusion

- Weighted Log Loss allows to get closer to both offline and online metrics in the context of online advertising auctions.

Thanks!